## LGIC 010 & PHIL 005 Problem Set 3 Spring Term, 2019 DUE IN CLASS MONDAY, FEBRUARY 11

1. (30 points) How many structures with universe of discourse  $\{1, 2, 3, 4, 5\}$  interpreting only the monadic predicate letters "F," "G," and H make true the schema

 $(\forall x)(Fx \supset Gx) \land (\forall x)(Gx \supset Hx).$ 

- 2. (40 points) Is there a satisfiable schema involving only the monadic predicate letters "F", "G", and "H" which is satisfied by no structure with universe of discourse  $\{1, 2, 3, 4, 5\}$ ? If yes, exhibit such a schema. If no, explain why.
- 3. (30 points) How many structures with universe of discourse  $\{1, 2, 3, 4, 5\}$  interpreting only the monadic predicate letters "F" and "G" make true the schema

 $(\exists x)(Fx \oplus Gx).$