LGIC 010 & PHIL 005 Definitions for Practice Final Examination Spring Term, 2017

- $[n] = \{1, \dots, n\}.$
- $\operatorname{mod}(S, n) = \{A \mid A \models S \text{ and } U^A = [n]\}.$
- $A \cong B$ if and only if A is *isomorphic to* B.
- A list l of structures is *succinct* if and only if for every pair of distinct structures A and B appearing on l, $A \ncong B$.
- $\operatorname{Aut}(A) = \{h \mid h \text{ is an automorphism of } A\}.$
- $\operatorname{orb}(a, A) = \{h(a) \mid h \in \operatorname{Aut}(A)\}.$
- $Orbs(A) = \{ O \mid \text{for some } a \in U^A, O = orb(a, A) \}.$
- Let S(x) be a schema with a single free variable x and A a structure.

$$S[A] = \{ a \in U^A \mid A \models S[x|a] \}.$$

• \mathbb{Z}^+ is the set of positive integers $\{1, 2, 3, \ldots\}$.