CIS 551 / TCOM 401 Computer and Network Security

Spring 2008 Lecture 22

Announcements

- Project 4 is Due Friday May 2nd at 11:59 PM
- Final exam:
 - Friday, May 12th. Noon 2:00pm DRLB A6
- Topic for today:
 - Civitas: Toward a Secure Voting System
 Michael Clarkson, Stephen Chong, Andrew Myers (2008)
- Some content adapted from slides by: Michael Clarkson and Andrew Myers

Grade Summary So Far



Civitas: Secure Remote Voting

- A secure, remote voting system implemented at Cornell by Michael Clarkson, Steve Chong, and Andrew Myers
 - http://www.cs.cornell.edu/projects/civitas
- Based on an earlier voting scheme proposed by
 - Ari Juels, Dario Catalano, and Markus Jakobsson (WPES 2005)

- Terminology:
 - Voting system: (software) implementation
 - *Voting scheme:* cryptographic construction
 - *Voting method:* algorithm for choosing between candidates

Remote Voting

- *Remote*: no supervision of voting or voters
 - Generalizes Internet voting
- The authors argue that this is the right problem to solve:
 - Does not assume supervision
 - Internet voting is common (Debian, ACM, SERVE)
 - Absentee ballots
 - Some states moving entirely to remote voting (Oregon, Washington)

Integrity

• The final tally cannot be changed to be different from a public counting of the votes

Verifiability:

The final tally is verifiably correct

- Including:
 - Voters can check their own vote is included (*voter verifiability*)
 - Anyone can check that only authorized votes are counted, and no votes are changed during tallying (*universal verifiability*)
 - No ballot stuffing
- Sorely lacking in real-world systems

Confidentiality

 No adversary can learn any more about votes than is revealed by the final tally

Anonymity:

The adversary cannot learn how voters vote, unless voters collude with the adversary.

- Anonymity is too weak
 - Allows vote selling and coercion of voters

Confidentiality [2]

Coercion resistance:

Voters cannot prove whether or how they voted, even if they can interact with the adversary while voting.

- Required by Civitas
- Stronger than anonymity (or *receipt-freeness*)
 - Adversary could be your employer, spouse, ...
 - Must defend against forced abstention or randomization

Civitas Architecture



Civitas scheme

What makes this secure? Why do we believe it is?

Key Idea of Scheme

- Voter encrypts vote and "signs" with a *credential* Votes are posted anonymously to ballot boxes
- Invalid credentials and votes are eliminated without revealing which were invalid

Tabulation tellers post ZK ("Zero Knowledge") proofs

- Anyone can verify election by checking ZK proofs
- Voter resists coercion by inventing fake credential and using it to behave exactly as coercer demands
 - Voter needs some time not under coercer's control to use his real credential

Cryptography



Assumption 1. Decision Diffie-Hellman, RSA, SHA-256 random oracle model.

Registration



Assumption 2. The adversary cannot masquerade as voter during registration.

Implement with: strong authentication, non-transferable secrets.

Registration



channel to that teller.

Why: weakest known assumption for coercion resistance Implement with: advance, in person registration; information-theoretic encryption

Registration



Assumption 3. Each voter trusts at least one registration teller and has an untappable channel to that teller.

Failure implies not coercion-resistant; doesn't impact verifiability.

Voting



Assumption 4. Voters trust their voting client.

Reasonable: voter can choose client.

Voting



Assumption 5. The channels from the voter to the ballot boxes are anonymous.

Why: otherwise coercion resistance trivially violated. Failure has no impact on verifiability.

Voting



Assumption 6. Each voter trusts at least one ballot box to make vote available for tallying.

Why: expensive fault tolerance not required.

Tabulation



Assumption 7. At least one tabulation teller is honest.

Why: keeps tellers from decrypting votes too early or cheating throughout tabulation.

Setup Phase

- Supervisor posts public keys for registrar, registration tellers, tabulation tellers
- Registrar posts identities and public keys of voters
- Tabulation tellers generate public key K_{TT} for a distributed cryptosystem
 - Everyone knows public key
 - Each teller has share of private key
 - Anyone can encrypt; participation of all tellers required to decrypt
- Registration tellers generate credentials for voters
 - Each credential is a pair of public/private values
 - Each teller responsible for generating one share of the full credential for each voter
 - Public credential share posted on bulletin board
 - Private credential share stored; later released to voter

El Gamal Encryption

- K_{TT} is a public key for an EI Gamal cryptosystem:
 - El Gamal works similarly to RSA (same assumptions)
 - El Gamal is *malleable*: Given C = Enc(m,K) anyone can find D such that D ≠C but Dec(C,k) = m
 - Enc(m,K) * Enc(n,K) = Enc(m*n, K) Homomorphic

- The private share of a credential is s_i
- The corresponding public share is $Enc(s_i, K_{TT})$
- The complete private share is: $s = s_1 * s_2 * ... * s_n$
- The complete public share is $Enc(s_1^*s_2^*...^*s_n, K_{TT})$
 - The latter is computable because of the homomorphic property of El Gamal

Voting Phase

- Voter retrieves private credential shares
 - Contacts each registration teller, authenticates with public key posted by registrar
 - Establishes an AES key using Needham-Schroeder-Lowe
 - Voter combines all shares to produce s, the full private credential
- Voter votes
 - Submits a copy of vote to each ballot box:

Enc(s; K_{TT}), Enc(choice; K_{TT}), P

- P is a proof that vote is well-formed:
 - In particular, it proves that the voter had access to s and choice simultaneously

Tabulation Phase

Tabulation tellers:

- 1. Retrieve data
- 2. Verify vote proofs
- 3. Eliminate votes with duplicate credentials
- 4. Anonymize votes and credentials
- 5. Eliminate votes with unauthorized credentials
- 6. Decrypt choices in remaining votes

Tellers constantly post proofs that they are performing the protocols correctly; yields verifiability

Voters Lie to Resist Coercion

- Voter picks random "fake" private credential share
- Constructs new "fake" private credential
- Uses "fake" credential to behave exactly as coercer demands
 - Give it to adversary
 - Submit any vote demanded by adversary
 - Voter needs some time not under coercer's control to use his real credential
- Yields coercion resistance

Cryptographic Techniques

- Zero-knowledge (ZK) proofs
 - Vote proofs, tabulation proofs
- Plaintext equivalence test
 - Elimination of duplicate and unauthorized credentials
- Mix network
 - Anonymization

- Standard proofs in math class: student (prover) writes something that TA (verifier) checks.
 - Convinces verifier of statement made by prover
- But standard proofs also reveal knowledge to the verifier
 - Prover: "I know the password to the Federal Reserve"
 - Verifier: "I don't believe you!"
 - Prover: "It's XYZZY".
 - Verifier: Logs into Fed to check if password works.
 - Verifier: "Thanks. Now I know it too."

- A *zero-knowledge* proof allows P to prove to V that a statement is true without revealing any more information.
- Example: The magic word and the cave



- Commit:
 - V stands at A
 - P walks into cave to either C or D
 - V walks to B
- Challenge:
 - V shouts to P to either come out the left or the right passage
- Response:
 - P complies, using the magic word if necessary
- P and V repeat until V is convinced P knows the magic word

- Zero-knowledge:
 - V never learns the magic word
 - V can't convince anyone else that P knows the magic word
 - P & V could have agreed on series of "left/right" in advance
- Large classes of problems have ZK proofs
- This proof was *interactive*
 - Based on challenge/response
 - Can make *noninteractive* by using a special kind of hash function to generate the challenge
- Plaintext Equivalence Test
 - Special kind of ZK proof
 - Tabulation tellers prove (as a group) that Dec(c) = Dec(c') without anyone, including the tellers, learning what Dec(c) or Dec(c') actually are

Mix networks: Anonymity

- Chaum 1981: Basic Mix network
- Suppose that there are N servers with public keys $K_1...K_N$.
- A mix message M_a looks like: K₁{K₂{...K_N{m_a}...}}
- To anonymize a set of messages M₁, M₂, ..., M_j:
 - Server i decrypts the messages, permutes them, and forwards them to server i+1
 - The last server will reveal $m_1, m_2, ..., m_j$ in some random permutation:



Aside: Secret Sharing

- How to share a secret among N+1 players:
 - Owner of the secret generates N bitstrings R1 ... RN
 - Player 0 gets S \oplus R1 \oplus ... \oplus RN
 - Player j > 0 gets Rj
 - All N players can cooperate to recover S -- they just XOR their shares.
- *Threshold* schemes allow k-out-of-N players to recover the secret:
 - Owner of the secret picks a random polynomial f with degree (k-1) such that f(0) = S
 - Player j > 0 gets f(j)
 - If any k players get together, they can use interpolation to calculate f(0)
 - If fewer than k players get together, there's no information about f(0).

Blind Signatures

- Digital signature scheme equipped with a commutative *blinding* operation
 - Signer never learns what they signed
 - Like signing an envelope with a window (or with carbon paper)
 - I.e.: unblind(sign(blind(m))) = sign(m)
- Voting scheme:
 - Voter prepares vote v, blinds, and authenticates to Authorization server, and sends vote. Server checks off voter, signs vote, and sends back to voter. Voter unblinds and now has sign(v).
 - Voter anonymously sends sign(v) to Tabulation server. Server checks signature, then counts vote.

Mix Networks

- Original Chaumian decryption mix:
 - Implemented with set of servers
 - Input: list of encrypted values
 - Enc(Enc(Enc(...c...)))
 - Output: same list, decrypted
 - But order of list permuted
 - Each server in mix permutes list and removes one layer of encryption
- Problem: servers trusted to be honest
 - Need *robustness*
- Civitas based on mix network
 - Actually uses *reencryption* mix

Mix Networks

- Voting scheme:
 - Voter encrypts vote, authenticates to Ballot Box server, submits vote.
 - Set of tabulation tellers run a mixnet over the encrypted votes, resulting in random permutation of votes.
 - Permuted list is decrypted and tallied.

Homomorphic Encryption

- A homomorphic encryption scheme has an operator ★ such that Enc(m) ★ Enc(n) = Enc(m ★ n). ★ is usually either + or ×, never both.
 - E.g. both RSA and El Gamal have \times .
- Voting scheme:
 - Suppose scheme has + as homomorphism and votes are either 0 or 1.
 - Voter prepares Enc(0) or Enc(1) as vote, authenticates to Tabulation server, and submits vote.
 - Tabulation server sums all the votes, then decrypts result. Individual votes never decrypted.