

# From Scenarios to Timed Automata: Building Specifications from Users Requirements\*

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## Abstract

*Scenarios as partial behavior descriptions, are used more and more to represent users requirements, and to conduct software engineering. This paper examines automatic generation of specifications from requirements. This is a crucial step when accuracy is desired in the requirement engineering process. Automatic construction of specifications from scenarios reduces to the merging of partial behaviors into global specifications, such that these specifications can reproduce them. This paper presents an incremental algorithm that synthesizes timed automata from scenarios with timing constraints. The algorithm is based on a formalism developed for scenarios. It uses operations semantics, and a mapping between concepts of scenarios, and those of the theory of timed automata.*

## 1 Introduction

A scenario is a partial behavior description of the interaction between a system and its environment in a restricted situation [3], composed of a succession of operations constrained by timing requirements.

Scenarios are an interesting way to express requirements as they describe how users want a system to behave. Their *partial* nature allows them to represent parts of a system behavior, making it possible for several users with different views or uses of a same system, to provide different but possibly overlapping scenarios. In fact, several proposed and actual system development methods use scenarios, or related concepts such as *uses cases*, to describe users requirements [8, 2, 10, 7]. We presented in [11], a requirement engineering method where scenarios are used for requirements description,

as a preliminary step towards producing complete and valid specifications.

As scenarios are only partial descriptions, producing specifications from them therefore requires a way to merge these partial behaviors to obtain global ones. The merging process must produce a specification that includes all desired behaviors, with respect to temporal aspects and conditions. This paper describes an algorithm, that generates a specification from scenarios. We use timed automata [1] as a target specification language.

The paper is organized as follow. We present the scenario concept in Section 2, and the theory of timed automata in Section 3. The specification generation algorithm is described in Section 4, while Section 5 shows a specification construction example. Section 6 examines some related works and Section 7 concludes this paper.

## 2 Scenarios

A scenario is a partial description of a system and environment interaction, arising in a **restricted situation**. This section goes beyond this definition. It presents an operational view of scenarios, considers how they are composed, and explains the formal representation that is required for the specification generation algorithm.

### 2.1 Operational view of scenarios

A scenario can be represented as a sequence of operations and time of occurrence, that may depends on conditions in the system and environment. A scenario **restricted situation**, its *pre-condition*, is a set of conditions that must hold in the system and environment prior to the scenario execution. Possible times of occurrence of operations may also depend on temporal constraints.

Figure 1 shows a scenario that describes an interaction between a CUSTOMER and an automated

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teller machine (ATM). We represent conditions as pairs  $\langle \text{entity}, \text{value} \rangle$  describing the fact that an *entity* (a system or environment component or attribute) has a certain *value*. A condition can also reflect the fact that an operation has been executed. As an example condition  $\langle \text{card}, \text{inserted} \rangle$  is asserted by default after operation insert card. The scenario in Figure 1, can be ex-

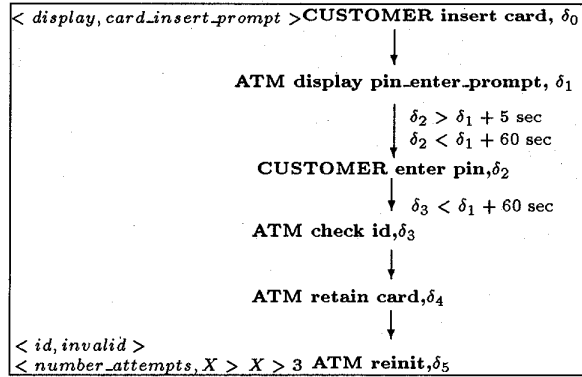


Figure 1: A scenario. This example shows a scenario as a sequence of operations. Applicability conditions are depicted on their right side while temporal constraints between time of occurrence are on their left.

ecuted in situation  $\langle \text{display}, \text{card.insert.prompt} \rangle$ . One of the operation sequence permitted is insert card by CUSTOMER, display pin\_enter.prompt by ATM, enter pin by CUSTOMER, check id by ATM, and if after this operation the situation  $\langle \text{id}, \text{invalid} \rangle$  and  $\langle \text{number\_attempts}, X \rangle$  with  $X > 3$  prevails, retain card and reinit by ATM. Temporal constraints are such that operation enter pin can be done only between 5 seconds and 60 seconds after operation display pin\_enter.prompt, and operation check id must have occurred 60 seconds after it. Alternative scenarios, that apply when these temporal constraints are not respected, can be supplied elsewhere.

## 2.2 Composing scenarios

Scenarios being descriptions of partial behavior, global behavior is obtained by composing several of them. There are three ways to combine scenarios: sequential composition, alternative composition and parallel composition.

### 2.2.1 Sequential composition

Sequential composition produces a behavior where scenarios follow each other. Such a composition occurs between scenarios that overlap. Figure 2 shows two

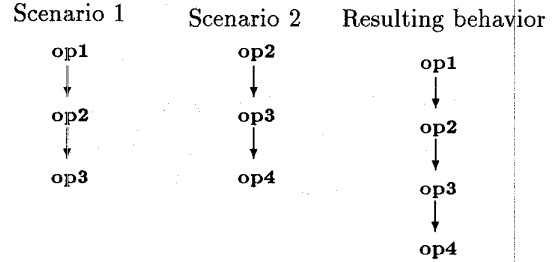


Figure 2: scenarios sequential composition

scenarios that compose sequentially if we suppose that *op2* in scenario 2 has an applicability condition (condition that must hold prior to its execution) included in the condition in the system and environment after *op1* in scenario 1. Two scenarios may also compose sequentially if after executing one, the conditions in the system and environment are included in the second *pre-condition*.

### 2.2.2 Alternative composition

Alternative composition produces a behavior where there are choices between scenarios. This kind of composition is obtained between scenarios that have a common part (situation, operations) before differing. Figure 3 shows an alternative composition of two sce-

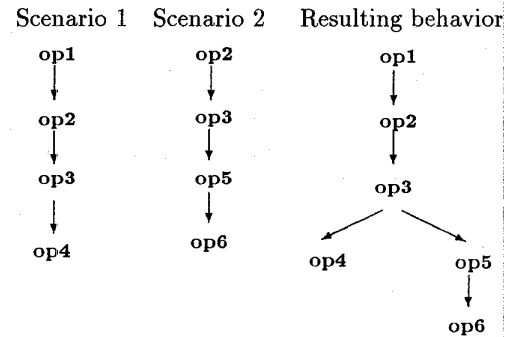


Figure 3: scenarios alternative composition

narios. In this example, the composition supposes that

conditions after executing *op1* in scenario 1 are included in scenario 2's *pre-condition*.

A special kind of alternate composition is obtained between scenarios that have operations with complementary temporal constraints. Figure 4 shows a such alternate scenario of the scenario in Figure 1, and Figure 5, an overall behavior obtained when composing them.

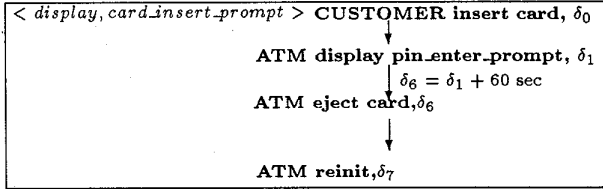


Figure 4: Alternate scenario of scenario in Figure 1.

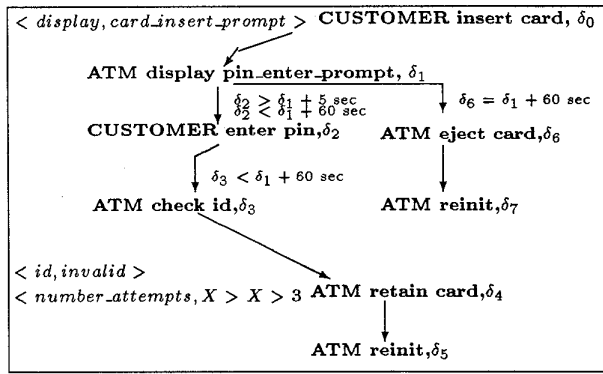


Figure 5: Overall behavior.

### 2.2.3 Parallel composition

Parallel composition produces a specification where each partial behavior may be taken in parallel with others. This kind of composition may be obtained from scenarios describing behaviors that occurs in separated sub-systems, or that are unrelated.

### 2.3 Scenarios representation

From a user point of view, a scenario is a serie of *interactions* made of *stimuli* and system *reactions* to them. Stimuli include operations and conditions that trigger system reactions. As an example, the scenario in Figure 1 includes the following *interactions*:

- CUSTOMER insert card/ATM display pin\_enter\_prompt,
- CUSTOMER enter pin/ATM check id and
- the occuring of new situation { < id, invalid > and < number\_attempts, X > with X greater than 3 }/ATM retain card, ATM reinit.

The time of occurrence of operations can be constrained by interaction *initial delays* and *timeouts*, and scenario *timeouts*. An interaction *initial delay* specifies a *minimal*, a *maximal* or an *exact* amount of time that must pass between the interaction first operation, and the last operation of the interaction preceding it. Interactions and scenarios *timeouts* specifies a *maximal* delays for their completion. *Expiry operations* may be associated with timeouts in order to be executed when delays are not respected. Initial delays may be use to bound events occurrence time at a system interface, while timeouts can serve to state performance requirements.

We formally represent a scenario as a quadruple  $\langle R_{num}, R_P, R_I, R_D \rangle$  where:

- $R_{num}$  is a scenario number,
- $R_P$  is the scenario pre-condition.  $R_P$  is a set of conditions  $\langle E, V \rangle$  where:  $E$  is an entity and  $V$  a possible value of  $E$ ,
- $R_I$  is a sequence of *interactions*  $[I_1, \dots, I_n]$ . Each  $I_i = \langle ind_i, D_i, R_i, IDR_i \rangle$  with:
  - $ind_i$  an initial delay,
  - $D_i = [d_{i_1}, \dots, d_{i_n}]$  a set of stimuli (operations or conditions),
  - $R_i = [r_{i_1}, \dots, r_{i_n}]$  operations which are system reactions,
  - $IDR_i = \langle dv_i, IDR_i \rangle$  an interaction timeout, where  $dv_i$  is a delay and  $IDR_i$  a sequence of timeout expiry operations.
- $R_D = \langle r_{dv_i}, DR_i \rangle$  a scenario timeout where  $r_{dv_i}$  is a scenario delay and  $DR_i$  a sequence of timeout expiry operations.

As an example, assuming that the scenario described in Figure 1 number is *Sc1*, it can be formally represented as the quadruple  $\langle R_{num}, R_P, R_I, R_D \rangle$  with:

$$\begin{aligned}
 R_{num} &= Sc1, \\
 R_P &= \{ \langle display, card\_insert\_prompt \rangle \} \\
 R_I &= [I_1, I_2, I_3] \text{ where:} \\
 I_1 &= \langle nil, [insert\_card], \\
 &\quad [display\_pin\_enter\_prompt], nil \rangle
 \end{aligned}$$

$I_2 = \langle 5\text{sec}, [\text{enter PIN}],$   
 $[\text{check id}], \langle 60\text{sec}, [\text{eject card}, \text{reinit}] \rangle \rangle$   
 $I_3 = \langle \text{nil}, [\langle \text{id}, \text{invalid} \rangle,$   
 $\langle \text{number\_attempts}, X \rangle | X > 3],$   
 $[\text{retain\_card}, \text{reinit}], \text{nil} \rangle$   
 $R_D = \text{nil}$

A scenario is formally interpreted, as a possible set of *timed traces*  $(op_1, \delta_1) \dots (op_n, \delta_n)$ , where each  $op_i$  is an operation and  $\delta_i$ , the instant where it occurs according to an abstract global clock. Each operation has applicability conditions and can occur only if they hold. The applicability conditions of the first operation in a scenario corresponds to the scenario *pre-condition*. Other operations applicability conditions are obtained from the normal processing of their preceding operations, because executing an operation, may withdraw existing conditions and induce new ones. As an example, a valid timed trace drawn from the scenario in Figure 1 is (insert card, 5), (display pin\_enter\_prompt, 7), (enter pin, 14), (check id, 15), (retain card, 17), (reinit, 20). On the other hand the timed trace (insert card, 5), (display pin\_enter\_prompt, 7), (enter pin, 8), (check id, 10), (retain card, 12), (reinit, 15) is not valid according to the scenario because the temporal constraint on operation enter pin is not respected.

### 3 The theory of Timed Automata

A timed automaton is defined as a *timed transition table*  $\langle \Sigma, S, S_0, C, E \rangle$  where:

- $\Sigma$  is a finite alphabet, each symbol of the alphabet can be considered as the occurrence of an event,
- $S$  is a finite set of states,
- $S_0 \subseteq S$  is a set of start states,
- $C$  is a finite set of clock variables and
- $E \subseteq S \times S \times \Sigma \times 2^C \times \Phi(C)$  is a set of transitions.

A transition from state  $s$  to  $s'$  on the input symbol  $a$  is represented as a 5-uple  $\langle s, s', a, \lambda, \gamma \rangle$ .  $\lambda \subseteq C$  is a set of clock variables reseted with the transitions and  $\gamma$ , a set of clock constraints expressed using clock variables in  $C$ , that must be satisfied for the transition firing. Clock variables values are set according to a global abstract clock, and hold at each moment, the elapsed time since their resetting. The theory of Timed Automata uses a *dense-time* model in which time domain is a set of positive real values.

A word  $(\sigma, \tau)$  recognised by a timed automaton  $\mathcal{A}$  consists on an event sequence  $\sigma = \sigma_1, \dots, \sigma_n$  and a

temporal sequence  $\tau = \tau_1, \dots, \tau_n$ , such that  $\sigma_i$  is consumed at the moment  $\tau_i$ . A run  $r(\bar{s}, \bar{v})$  of a timed transition table over a timed word  $(\sigma, \tau)$  is defined as an infinite sequence  $r : \langle s_0, v_0 \rangle \xrightarrow{(\sigma_1, \tau_1)} \langle s_1, v_1 \rangle \xrightarrow{(\sigma_2, \tau_2)} \langle s_2, v_2 \rangle \xrightarrow{(\sigma_3, \tau_3)} \dots$ , with  $s_i \in S$  and  $v_i \in [C \rightarrow R]$ , for all  $i \geq 0$ , satisfying the following requirements:

- $s_0 \in S_0$  and  $v_0(x) = 0$  for all  $x \in C$  and
- for all  $i > 0$ , there is an edge in  $E$  of the form  $\langle s_{i-1}, s_i, \sigma_i, \lambda_i, \gamma_i \rangle$  such that  $(v_{i-1} + \tau_i - \tau_{i-1})$  satisfies  $\gamma_i$  and  $v_i$  equals  $[\lambda_i \rightarrow 0](v_{i-1} + \tau_i - \tau_{i-1})$ .

A partial run  $\tilde{r}$  of a run  $r$ , is a finite sequence  $\tilde{r} : \langle s_i, v_i \rangle \xrightarrow{(\sigma_{i+1}, \tau_{i+1})} \dots \langle s_{i+n}, v_{i+n} \rangle$  included in  $r$ .

A timed transition table  $\langle \Sigma, S, S_0, C, E \rangle$  is deterministic if and only if there is a single start state and for each pair of transitions  $\langle s, -, a, -, \gamma_1 \rangle$  and  $\langle s, -, a, -, \gamma_2 \rangle$ ,  $\gamma_1$  and  $\gamma_2$  are mutually exclusive.

### 4 Timed Automaton generation

This section presents the specification generation algorithm from scenarios. We first provide some definitions and principles of the algorithm, then a detailed description of specification construction. The presentation is concluded with some remarks about automata generated.

#### 4.1 Principles of the algorithm

The generation algorithm aims at producing a timed automata  $\mathcal{A} = \langle S, S_0, \Sigma, C, E \rangle$  from a set of scenarios  $R = \langle R_{num}, R_P, R_T, R_D \rangle$ . It is an incremental algorithm, that enriches an empty specification as each scenario is added.

The algorithm is based on the expectation that there exists a partial run in the resulting automaton over each scenario. When a scenario is considered, a such partial run is sought, and if it does not exists, the automaton is augmented to include it. A correspondence is thus made between each scenario and parts of an automaton. More precisely, this correspondence exists between conditions (in scenarios) and states (in the automaton), and between interactions and transitions. Clock variables and constraints are added to transitions according to delays and timeouts in scenarios.

##### 4.1.1 States determination

The following definitions are used to determine automaton states from scenarios. These definitions are similar

to modelling concepts introduced by state-based planning systems such as STRIPS [4].

**Proposition 1** *Each state is defined by characteristic conditions which hold in this state.*

**Proposition 2** *A states is redundant if it has the same characteristic conditions as another state.*

**Proposition 3** *A state  $s_b$  is a sub-state of a state  $s_a$  (its sup-state), if its characteristic conditions include that of  $s_a$ .*

Proposition 1 will be used to determine states. Proposition 2 and 3 will be used to link new scenarios to existing specification. States corresponding to a scenario are determined so that the first state in each partial run over a scenario characteristic conditions include the scenario *pre-conditions*, and the other states characteristic conditions are obtained by using operations semantics defined by their *added-conditions* and *withdrawn-conditions*.

**Proposition 4** *An operation added-conditions is a set of conditions that becomes true after its execution, while its withdrawn-conditions is a a set of conditions that are not longer true after its execution.*

By default, each operation *added-conditions* include the fact that its has been executed. An operation can also withdraw all conditions previously asserted in the system before its execution.

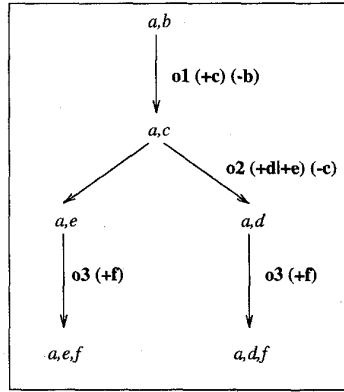


Figure 6: Example of conditions derivation

As an example of condition derivation, let  $a, b, c, d, e$  and  $f$  be conditions, lets us suppose *pre-conditions* to be  $a$  and  $b$ , that the operation sequence considered is  $o1, o2$  and  $o3$ , and that:

- $o1$  *added-conditions* is  $\{c\}$  and *withdrawn-conditions*  $\{b\}$ ,
- $o2$  *added-conditions* is  $\{d\}$  or  $\{e\}$  and *withdrawn-conditions*  $\{c\}$  and
- $o3$  *added-conditions* is  $f$  and *withdrawn-conditions* the empty set.

The first states of partials runs over the scenario characteristic conditions include the set  $\{a, b\}$ , and Figure 6 shows the determination process of conditions that hold after the scenario operations. The two sets of conditions  $\{a, e, f\}$  and  $\{a, d, f\}$  are obtained as a result in this example, and may be used to determine other states of the partial run.

If, for a state derived from a scenario, there already exists an automaton state with the same characteristic conditions, then this existing state will be used to find the partial run. A new state is inserted in an automaton when there is no such state. State insertion is done according to the following criterions.

**Criterion 1** *All transitions possible from a state must be possible from all its sub-states.*

**Criterion 2** *A non empty sequence of transitions must exist between any state and each of its sub-states.*

Criterion 1 is motivated by the fact that operation execution depends on conditions, and whenever the initial conditions of an operation are verified, its must be possible to execute it. As all conditions of a state are verified in its *sub-states*, transitions possibles from these states must also be possible from their *sub-states*. Criterion 2 motivation is shown in figure 7, where a

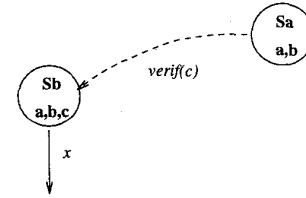


Figure 7: Synthetic transition addition

state  $Sb$  characterized by conditions  $(a, b$  and  $c)$  have a *sup-state*  $Sa$  characterized by conditions  $(a$  and  $b)$ . Behavior described is such that operation  $x$  can be done in  $Sb$ , but not in  $Sa$ . However in  $Sa$ , its should be possible to do  $x$ , if there is a mean to make condition  $c$  becomes true. Such possibility is materialized by including a *synthetic* transition between  $Sa$  and  $Sb$ , that aims at *verifying* condition  $c$ .

#### 4.1.2 Transition determination

We produce a single automaton *event* from each interaction. A state change may thus be provoked by a sequence of operations corresponding to stimulus and their reactions. The motivation for this kind of correspondence is that we build an abstract specification which shows the external view of a system behavior, and there may be no external visible state within interactions. The abstract description built from scenarios should however be further refined by decomposing interactions or operations.

Interactions initial delays and timeouts, and scenarios timeouts cause the addition of temporal constraints in automata transitions. Three cases should be considered:

- For an interaction with an initial delay, a clock variable is initialized in transitions arriving to states from which they can be initiated (a new clock variable may be added to the automaton), and used to express a clock constraint in transitions corresponding to the interaction.
- For an interaction with a *timeout*, a clock variable is initialized as for interactions initial delays. Then, a clock constraint  $c < d$  (where  $c$  is the clock variable used and  $d$  the timeout delay), is added to transitions corresponding to the interaction. When a timeout includes *expiry operations*, another transition with a clock constraint  $c = d$  corresponding to the execution of these operations is added.
- For scenarios with a *timeout*, a clock variable is initialized in transitions arriving to first states of their partial runs and a clock constraint  $c < d$  (where  $c$  is the clock variable used and  $d$  the timeout delay), is added to all transitions corresponding to the scenario interactions. When a *scenario timeout* includes *expiry operations*, transitions with a clock constraint  $c = d$  corresponding to the execution of these operations is added from all states in partials runs to the scenario, are added.

#### 4.2 Generation algorithm

The algorithm takes as input a scenario  $\langle R_{num}, R_P, R_T, R_D \rangle$ , and enriches an automaton  $\langle S, S_0, \Sigma, C, E \rangle$ . It executes in two steps: first states determination and interactions insertion. The first step is a determination of states satisfying scenario *pre-conditions*. In the second step we determine states and transitions making the partial run in the automaton over the scenario. These two

steps cause new states to be inserted to the automaton. Below we show how new states insertion is done, and describe the two step of the generation algorithm.

##### 4.2.1 States insertion

**Input :** a state  $s$

A-1 let  $LCI$  set of sup-states of  $s$ . If  $LCI \neq \emptyset$

A-1.1 let  $LMG$  set of less general states of  $LCI$  in relation with  $s$

A-1.2 For each  $s_i$  in  $LMG$

A-1.2.1 For each transition starting at  $s_i$ , add a similar transition starting at  $s$ ,

A-1.2.2 add a synthetic transition between  $s_i$  and  $s$

A-2 let  $LIC$  set of sub-states of  $s$ . If  $LIC \neq \emptyset$

A-2.1 let  $LPG$  set of more general states of  $LIC$  in relation with  $s$

A-2.2 For each  $s_i$  in  $LPG$  add a synthetic transition between  $s$  and  $s_i$

Figure 8: New state insertion algorithm

The addition of a new state to an automaton is done in accordance with criterion 2, that is, after insertion, a non empty sequence of transitions must exist between any state and all its *sub-states* in an automaton. Figure 8 shows new state insertion. A new state is inserted by adding *synthetic* transitions starting from its *sup-states* to it and other *synthetic* transitions starting from it to its *sub-states*.

As shown in line A-1.1 of the state insertion algorithm, we do not create *synthetic* transitions between every state and its *sup-states*, but we rather restrain to the set of *less general* states among them, in relation with  $s$ . A state  $s1$  is *less general* than  $s2$  in relation with a state  $s$  if  $s1$  and  $s2$  are *sup-states* of  $s$ , and the difference between *characteristic conditions* of  $s$  and those of  $s1$  does not include the difference between *characteristic conditions* of  $s$  and those of  $s2$ . This restriction explains itself because within the new state *sup-states*, *less general* states are the only states that are not *sup-states* of any existing states, and according to the insertion criterion, there are already non empty sequences of transitions between each state and its *sup-states* in the automaton.

Similarly in line A-2.1 of the state insertion algorithm, a connection between a new state and all its *sub-states* is made by restraining to the set of *more general* states among them in relation with the new state. A

state  $s1$  is *more general* than  $s2$  in relation with a state  $s$  if  $s1$  and  $s2$  are *sub-states* of  $s$ , and the difference between *characteristic conditions* of  $s$  and those of  $s1$  does not include the difference between *characteristic conditions* of  $s$  and those of  $s2$ .

In line A-2.1, we repeat in the inserted state transitions starting from its *sup-states* as a state and its *sup-states* include the same conditions, and must therefore allow same interactions execution.

#### 4.2.2 First states determination

First state determination (Figure 9) begins by seeking a state with *characteristic conditions* identical to the scenario *pre-conditions*. If a such state is founded, we

<p><b>Input :</b> <math>R_P</math> the scenario pre-condition set</p> <p><b>Output:</b> <i>Flist</i> a list of states</p> <p>B-1 If there is no state in <math>S</math>, that <i>characteristic conditions</i> are equal to <math>R_P</math></p> <p>B-1.1 let <math>s</math> a new state such that <math>s</math> <i>characteristic conditions</i> are <math>R_P</math></p> <p>B-1.2 If <math>S = \emptyset</math> <math>S_0 = \{s\}</math>, <math>S = \{s\}</math></p> <p>B-2 Else <math>S = S \cup \{s\}</math></p> <p>B-2.1 let <math>LCI</math> <i>sup-states</i> of <math>s</math>, If <math>LCI = \emptyset</math> add <math>s</math> to <math>S_0</math></p> <p>B-2.2 insert <math>s</math> in <math>S</math></p> <p>B-3 <math>FList = s</math> and the set of <i>sub-states</i> of <math>s</math></p>
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Figure 9: First states determination

return it with all its *sub-states*, and the scenario first states determination ends.

When no existing state in the automaton *characteristic conditions* match the *pre-condition*, we create a new state having this *characteristic conditions*, and inserts it in the automaton. The new state becomes a new initial state when it does not have any *sup-state*. The algorithm returns the new state with all its *sub-states* as the scenario first states.

#### 4.2.3 Interactions insertion

Figure 10 shows clock variables determination and initialization, in interaction insertion described in 11. Clock variables are used to state transitions timing constraints, in order to satisfy scenarios *delays* and *timeouts*. Clock variables must be set to zero in transitions preceding their use. When for a given clock, such transitions does not already exist in the automaton, we create a *synthetic state* and a *synthetic transition* going

**Input :** a state  $s$

**Output:** a clock variable  $c$

C-1 create a new clock variable  $c$ , add  $c$  to  $C$

C-2 let  $LTr$  set of transitions arriving at  $s$ .

C-3 If  $LTr = \emptyset$  create  $sbs$  a synthetic state, add a synthetic transition from  $sbs$  to  $s$  that initialize  $c$

C-4 Else add  $c$  initialization to all transitions in  $LTr$

Figure 10: Clock variable determination.

from it to the transition departing state, which initialize the clock variable (C-3).

Interaction addition is repeated for each of the scenario first states. When a scenario have a *scenario delay*, a clock variable is determined and initialized and a constraint is constructed from it, to be added to all transitions generated from the scenario.

Transitions realizing a scenario behavior, are generated by successive levels of interaction addition. A scenario first interaction is added from states determined using its *pre-condition* (Figure 9). Transitions arrival states, are founded using operations *added-conditions* and *withdrawn-conditions*, as shown in Figure 6. The set of arrival states, constitutes departing states of the scenario second interaction, but when an interaction *stimulus* includes conditions, only the sub-set of states in this set, in which these conditions hold is used. The states obtained are then used as the next interaction departure states, and this process is repeated until all interactions have been considered. Each transition may include temporal constraints that corresponds to initial delays, interaction timeouts and scenario timeouts. Timeouts *expiry operations* treatment may also result on additional transitions creation as in D-1.3.2 and D-1.3.3. *Synthetic states* are removed from the automaton in D-2, when they are no longer needed D-2.

#### 4.2.4 Non determinism in the automaton

Automata generated by our algorithm can be non deterministic: there can be several initial states, and it is possible to have the same transition leading to different states from a given one.

The existence of several initial states can be due to composition of parallel sets of scenarios, that describe behaviors in independent sub-systems. Distinct automata of parallel sub-systems, having no common transitions, may be obtained in this way.

Non deterministic transitions may be wanted or unwanted, according to systems design objectives because

specification generated are higher abstractions of their behaviors. Unwanted determinism may be created by contradictory scenarios, where same *stimuli* applied when same conditions hold, produce different *reactions*. When such transitions are obtained, that may imply a need for changes in scenarios.

**Input :** *Flist* a set of first states  
**D-1** For each state  $s_i$  in *Flist*  
 D-1.1 If  $R_D \neq \text{none}$ ,  $R_D = \langle R_{dval}, R_{dexp} \rangle$  determine and initialize clock variable  $c$ , using  $s_i$ , and construct  $Cont_{SD}$  from  $R_{dval}$ , using  $c$   
 D-1.2 let  $LS$  the set with the single element  $s_i$ , and  $I_{cur}$  the first interaction of the scenario  
 D-1.3 For each  $s_j$  in  $LS$ , let  $I_{cur} = \langle te, D, Re, tD \rangle$   
 D-1.3.1 If  $te \neq \text{none}$  determine and initialize a clock variable  $ce$  using  $s_j$ , and construct  $Cont_{te}$  from  $te$ , using  $ce$   
 D-1.3.2 If  $tD \neq \text{none}$ ,  $tD = \langle td, T_{dexp} \rangle$ , determine and initialize a clock variable  $ctd$  using  $s_j$ , and construct  $Cont_{td}$  from  $td$ , using  $ctd$   
 If  $T_{dexp} \neq \text{none}$  add expiry transitions corresponding to  $T_{dexp}$   
 D-1.3.3 If  $R_{dexp} \neq \text{none}$  add expiry transitions corresponding to  $R_{dexp}$   
 D-1.3.4 let  $LSucc$  set of states successors of  $s_j$ , obtained by executing operations in  $D$  and  $Re$   
 D-1.3.5 add in  $E$  transitions between  $s_j$ , and elements of  $LSucc$  with event  $D$  and  $Re$ , and time constraint  $Cont_{SD}$ ,  $Cont_{te}$  and  $Cont_{td}$   
 D-1.3.6 remove  $I_{cur}$  from  $R_I$   
 D-1.3.7 If  $R_I \neq \emptyset$   $I_{cur}$  becomes the next interaction,  $LS$  becomes  $LSucc$ , and Goto D-1.3  
**D-2** For each synthetic states  $sbs$ , let  $s$  a state such that there is a transition between  $sbs$  and  $s$ . If there are more than one transition arriving at  $s$  remove  $sbs$  and transition between  $sbs$  and  $s$

Figure 11: Interactions addition.

*Synthetic states* and *transitions* are due to misses in original scenarios. A *synthetic transition* between a state and one its *sub-state* outlines missing operations or conditions in scenarios. This situation may thus be corrected by modifying the set of scenarios.

## 5 A generation example

This section shows a composition of scenarios which describe an ATM behavior in interaction with a CUS-

TOMER. An empty specification is incrementally enriched by two scenarios, in this example.

Scenario *Sc1* shown in Figure 1 and formally described in Section 2.3, is the first scenario used. The automaton in Figure 12 is the specification obtained after adding it.

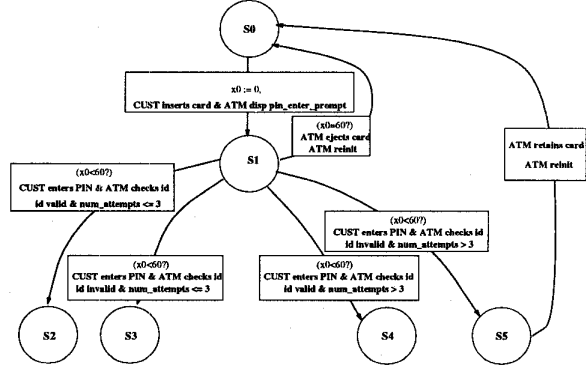


Figure 12: Automaton generated from scenario *Sc1*

$S_0$  is the first state generated from the scenario. It is characterized by the *pre-condition* of *Sc1*,  $\langle display, card\_insert\_prompt \rangle$ . The second state generated,  $S_1$  is obtained by computing the situation that hold after executing all operations in the scenario first interaction. This is done using operation *added-condition* and *withdrawn-condition* description. In this example, No explicit description is needed for operation *insert card*, but operation *display pin\_enter\_prompt*, obviously makes the *display* to become *pin\_enter\_prompt*, and withdraws previous condition on this device. State  $S_1$  obtained after the first interaction is therefore characterized by condition  $\langle display, pin\_enter\_prompt \rangle$ .

The second interaction of scenario *Sc1*, produces four transitions, because each of operations *enter PIN* and *check id* may have two different *added-conditions*. After entering *PIN*, the total numbers of attempts is increased, and according to the focus chosen in the scenario, becomes greater than three. Operation *check id* can results on a *valid id* or an *invalid* one. Executing these two operations may therefore produce four possible situations, that characterize states  $S_2$ ,  $S_3$ ,  $S_4$  and  $S_5$ . All transitions between  $S_1$  and these states are constrained by a clock constraint  $x0 < 60$ , as the interaction have a corresponding *timeout*. The expiry of this *timeout*, makes the ATM to *reinit*, an operation that cause the display to become *pin\_enter\_prompt*. A transition is thus added from  $S_1$  to  $S_0$  with the clock constraint  $x0 = 60$ . The clock variable used,  $x0$ , is set



to zero in the single transition arriving at state  $S_1$ , the transition between  $S_0$ , and it.

Now consider the addition of a second scenario *Sc2* whose operational view is shown in Figure 13.

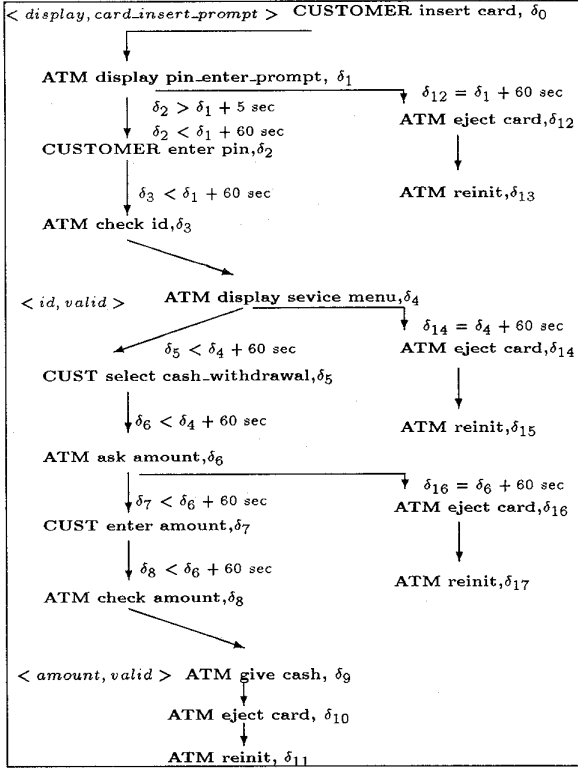


Figure 13: Operational view of Scenario Sc2

Figure 14 shows the automaton obtained after adding scenario *Sc2*. The two scenarios compose alternatively as their two first interactions are identical, and they differ on the third one. States, and transitions determined by scenario *Sc2*, first and second interactions are therefore already in the automaton. As scenario *Sc2* third interaction can be executed, only when condition  $\langle id, valid \rangle$  holds, transitions corresponding to it start from states  $S_2$  and  $S_4$ , and end to state  $S_6$  assuming that operation *display service\_menu* withdraws all previous conditions and *added-condition* is  $\langle display, service\_menu \rangle$ . Remaining transitions are added from this state.

## 6 Related work

Our research combines two areas: scenario formalization, and partial behavior composition.

Formalization of scenarios is presented in [5] where *scenario trees* describe a *user view* of a system. A *scenario tree* include nodes, to represent states, and events to represent specific stimuli that may change the system state or trigger other events.

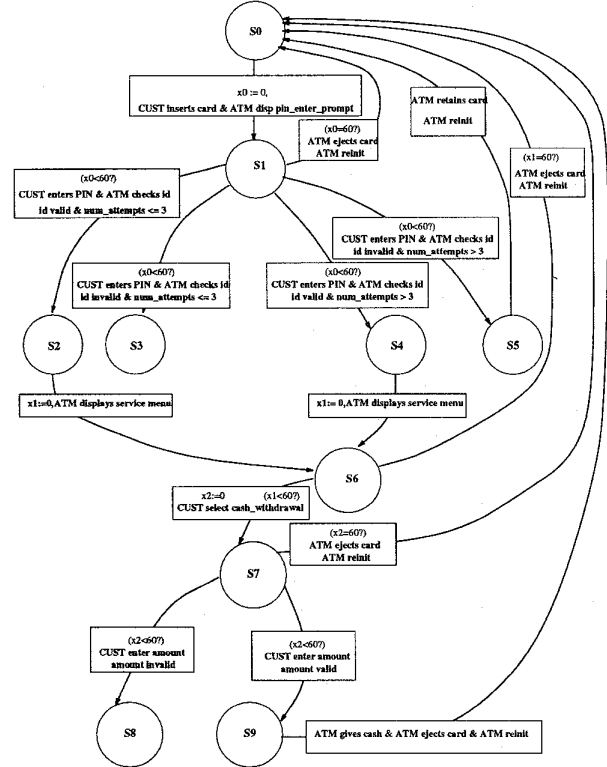


Figure 14: Automaton obtained after scenario Sc2

Scenario trees are defined by analysts during requirement elicitation, and each of them is converted into a regular grammar which is used to construct a conceptual state machine. This abstract machine can then be used to verify inconsistencies, redundancies and incompleteness in scenarios. Abstract machines can also be used to generate other scenarios and prototypes. This work differs from ours in several ways. Our scenarios do not rely on the use of unique state names, but we use rather *conditions* and infers states from them. *Conditions* give us more flexibility when comparing and merging scenarios than state names, as there is no for-

mal mean to compare them. Another difference is that we consider timing constraints.

A kind of partial behavior merging similar to that described in our work, is described in [9]. The approach presented there uses trace diagrams, which represents scenarios as ordered events sent between objects. Finite state machines are synthesized from these trace diagrams, by an inductive inference mechanism. This approach differs from ours as trace diagrams must be first derived from scenarios, and also as we considers timing requirements. Another difference is that our algorithm is based on operation semantics (*post-condition* and *withdrawn conditions*) rather than inference inducting. Others approaches which incrementally construct systems global behavior from trace diagrams, are [12] and [6] that deals with telecommunication systems.

## 7 Conclusion

Scenarios describe users requirements in a natural way and shown to be useful for requirements engineering. We are concerned about accuracy in this process, and believe that automation is one way to achieve it. Requirements represented by scenarios may be used to automatically generate specifications, but the scenario concept must be formalized. The work presented here formalizes scenarios and uses the formalism developed to build an algorithm that generates timed specifications. Our method leans on operation semantics, providing us an accurate way to considers users requirements. The algorithm requires description of operations, but this step is often included in many software engineering methods.

We aim at building a requirement engineering aid tool, and automatic generation of specifications is a step toward that. We are pursuing this research to include specification completion, simulation and deal with changing requirements [11].

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